FlowBot3D: Learning 3D Articulation Flow to Manipulate Articulated Objects

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Abstract—We explore a novel method to perceive and manipulate 3D articulated objects that generalizes to enable a robot to articulate unseen classes of objects. We propose a vision-based system that learns to predict the potential motions of the parts of a variety of articulated objects to guide downstream motion planning of the system to articulate the objects. To predict the object motions, we train a neural network to output a dense vector field representing the point-wise motion direction of the points in the point cloud under articulation. We then deploy an analytical motion planner based on this vector field to achieve a policy that yields maximum articulation. We train the vision system entirely in simulation, and we demonstrate the capability of our system to generalize to unseen object instances and novel categories in both simulation and the real world, deploying our policy on a Sawyer robot with no finetuning. Results show that our system achieves state-of-the-art performance in both simulated and real-world experiments. Code, data, and supplementary materials are available at [this website].

I. INTRODUCTION

Understanding and being able to manipulate articulated objects such as doors and drawers is a key skill for robots operating in human environments. While humans can rapidly adapt to novel articulated objects, constructing robotic manipulation agents that can generalize in the same way poses significant challenges, since the complex structure of such objects requires three-dimensional reasoning of their parts and functionality. Due to the large number of categories of such objects and intra-class variations of the objects’ structure and kinematics, it is difficult to train efficient perception and manipulation systems that can generalize to those variations.

To address these challenges, we propose to separate this problem into one of “affordance learning” and “motion planning.” If a robot can predict the potential movements of an objects’ parts (a.k.a. “affordances”), it would be relatively easy for the agent to derive a downstream manipulation policy by following the predicted motion direction. Thus, we tackle the problem of manipulating articulated objects by learning to predict the motion of individual parts on articulated objects.

Previous work has proposed to learn the articulation parameters (i.e. rotation axis of revolute joints and translation axis of prismatic joints) in order to guide the manipulation policy [5]. However, such methods often rely on knowing class-specific articulation structures. Without such knowledge, the policies can neither operate nor be applied to novel categories.

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Fig. 1: FlowBot3D in action. The system first observes the initial configuration of the object of interest, estimates the per-point articulation flow of the point cloud (3DAF), then executes the action based on the selected flow vector. Here, the red vectors represent the direction of flow of each point (object points appear in blue); the magnitude of the vector corresponds to the relative magnitude of the motion that point experiences as the object articulates.

To learn a generalizable perception and manipulation pipeline, we need to be robust to the variations of the articulated objects’ geometries and kinematic structures. We seek to construct a vision system that can learn to predict how the parts move under kinematic constraints without explicitly knowing the articulation parameters: specifically, the location of the rotational or translational axes for revolute or prismatic parts, respectively.

In this paper, we present FlowBot3D, a deep 3D vision-based robotic system that predicts dense per-point motion of an articulated object in 3D space, and leverages this prediction to produce actions that articulate the object. We define such per-point motion as the 3D articulation flow (3DAF) vectors, since this representation describes how each observed point on the articulated part would “flow” in the 3D space under articulation motion. Such a dense vector field prediction can then be used to aid downstream manipulation tasks for both grasp point selection as well as predicting the desired robot motion after grasping. We train a single 3D perception module to perform this task, and show that it generalizes to a wide variety of objects – both in seen categories, and entirely unseen object categories.

The contributions of this paper include:
1) A novel per-point representation of the articulation structure of an object, 3D Articulation Flow (3DAF).
2) A novel 3D vision neural network architecture (which we call ArtFlowNet) that takes as input a static 3D point...
cloud and predicts the 3D Articulation Flow of the input point cloud under articulation motion.

3) A novel robot manipulation system (FlowBot3D) for using the predicted 3D Articulation Flow to manipulate articulated objects.

4) Simulated experiments to test the performance of our system in articulating a wide range of PartNet-Mobility dataset objects.

5) Real-world experiments deployed on a Sawyer robot to test the generalizability and feasibility of our system in real-world scenarios.

II. RELATED WORK

Articulated Object Manipulation: Manipulation of articulated objects and other objects with non-rigid properties remains an open research area due to the objects’ complex geometries and kinematics. Previous work proposed manipulating such objects by hand-designed analytical methods, such as the immobilization of a chain of hinged objects by Cheong et al. [8], Berenson et al. [3] proposed a planning framework for manipulation under kinematic constraints. Katz et al. [14] proposed a method to learn such manipulation policies in the real-world using a grounded relational representation learned through interaction.

With the development of larger-scale datasets of articulated objects such as the PartNet dataset by Mo et al. [18] and Partnet-Mobility by Xiang et al. [28], several works have proposed learning methods based on large-scale simulation and supervised visual learning. Mo et al. [19] proposed to learn articulation manipulation policies through large-scale simulation and visual affordance learning. Xu et al. [29] proposed a system that learns articulation affordances as well as an action scoring module, which can be used to articulate objects. Mu et al. [20] provided a variety of baselines for the manipulation tasks of 4 categories of articulated objects in simulation. Several works have focused specifically on visual recognition and estimation of articulation parameters, learning to predict the pose [31, 30, 26, 11, 15] and identify articulation parameters [13, 32] to obtain action trajectories. Moreover, [21, 4, 6] tackle the problem using statistical motion planning.

Optical Flow for Policy Learning: Optical flows [10] are used to estimate per-pixel correspondences between two images for object tracking and motion prediction and estimation. Current state-of-the-art methods for optical flow estimation leverage convolutional neural networks [9, 12, 25]. Dong et al. [8], Amiranashvili et al. [1] use optical flow as an input representation to capture object motion for downstream manipulation tasks. Weng et al. [27] uses flow to learn a policy for fabric manipulation. While the aforementioned optical flows are useful for robotic tasks, we would like to generalize the idea of optical flow beyond pixel space into full three-dimensional space. Instead, we introduce “3D Articulation Flow”, which describes per-point correspondence between two point clouds of the same object. Another work that is highly related to ours is Pillai et al. [22], which learns to predict the articulated objects’ parts motion using a motion manifold learner. First, while we both predict the parts’ motion to derive an implicit policy, we do not rely on the intermediate articulation parameters in order to predict the motion manifold. Second, we do not rely on any demonstration to learn from - our method learns in a completely self-supervised fashion.

III. METHOD - FROM THEORY TO PRACTICE

In this section, we examine the physical task of manipulating the articulation of an articulated object. We first present the theoretical grounding behind the intuition of our method, and we slowly relax assumptions and approximations to create a system that articulates objects in the real world based on point cloud observations.

A. An Idealized Policy Based On Dynamics and Kinematics

The articulated objects we consider in this work are generally objects that 1) consist of one or more rigid-bodies – or “links” – which are 2) connected to one another by revolute or prismatic joints with exactly 1 degree of freedom each, and 3) have at least one link rigidly attached to an immovable world frame so that the only motion the object experiences is due to articulation. Each joint connects a parent link (often the fixed-world link) and a child link, which can move freely subject to the articulation constraints. While these conditions may seem restrictive, under normal “everyday” forces many real-world articulated objects (ovens, boxes, drawers, etc.) meet these conditions to a very good approximation.

We therefore exclude objects with socket joints, free-body objects, and deformable objects from our analysis.

We now consider an idealized policy to actuate an articulated object. Suppose we are able to attach a gripper to any point $p \in P$ on the surface $P \subset \mathbb{R}^3$ of a child link with mass $m$. At this point, the policy can apply a 3D force $F$, with constant magnitude $|F| = C$ to the object at that point. Our objective is to choose a contact point and force direction $(p^*, F^*)$ that maximizes the acceleration $a$ of the articulation’s child link. If we limit our analysis to two special classes of articulation, revolute joints and prismatic joints, we can very intuitively arrive at the following optimal settings of $(p^*, F^*)$:

**Prismatic:** A prismatic joint (such as a drawer) can be described as a single 3D unit vector $v$ which is parallel to its direction of motion. Since motion of the joint is constrained to $v$, the object will provide a responding force $F_v$ to any component of $F$ not parallel to $v$. The net force exerted on

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![Fig. 2: Illustrations of prismatic and revolute joints.](image-url)
the joint by the robot is thus \( F_{\text{net}} \), the component of \( F \) in the \( v \) direction:

\[
F_{\text{net}} = F - F_n = F - (F - (F \cdot v)v) = (F \cdot v)v = ma
\] (1)

As one might expect, the force vector \( F^* \) which maximizes the acceleration \( a \) occurs when \( \|F^* \cdot v\| = C \), i.e. when \( F^* \) is parallel to \( v \). Because each point \( p \in P \) moves in parallel, applying the force at any point \( p \) on the surface will yield the maximum acceleration. Thus, the optimal policy to articulate a prismatic joint is to select any point on the surface and apply a force parallel to \( v \) at every time step.

**Revolute:** A revolute joint (such as a door hinge) can be parameterized by a pair \((v, \omega)\), where \( \omega \) is a unit vector representing the direction of the axis of rotation about which the child link moves, and \( v \in \mathbb{R}^3 \) is a point in 3D space that the axis of rotation passes through. Each point \( p \) on the child link is constrained to move on the 2D circle perpendicular to the axis of rotation with radius \( r \) (where \( ||r|| \) is the length of the shortest vector from \( p \) to the line given by \( f(t) = r + t\omega \)).

Given any point \( p \), we can maximize the acceleration by a similar argument as before, except any force in the direction of \( r \) or \( \omega \) will be resisted:

\[
F_{\text{net}} = F - F_n = F - \left( \frac{F \cdot r}{||r||^2} r - (F \cdot \omega)\omega \right)
\] (2)

Thus, for any point \( p \) the net force (and thus acceleration) is maximized when \( F^* \) is tangent to the circle defined by \( r \). Selecting the point \( p \) which produces the maximal linear acceleration when \( F^* \) is applied there is simply the point \( p \) on the child link that maximizes \( ||r|| \), or the point on the object farthest from the axis of rotation. Thus, the optimal policy to articulate a revolute joint is to pick the point on the surface farthest from the axis of rotation \( \omega \).

**B. Articulation Parameters to 3D Articulation Flow**

These parameterizations\(^2\) are an elegant representation of single articulations in isolation. However, when an object contains more than one articulation, or contains points that do not move at all (e.g. the base of a cabinet), in order to create a minimal parametric representation of the object we must describe a kinematic tree (a tree of rigid links, connected by joints described by a set of parameters) and associate each point on the object with a link. This is a hierarchical representation, which is difficult to construct from raw observation without prior knowledge of the hierarchical structure or link membership. A hierarchy-free representation of the kinematic properties of the object could assign each point on the object its own set of parameters; however, this would require a full 6 parameters \((v, \omega)\) for each point on the object, and the position \( v \) can occur anywhere in \( \mathbb{R}^3 \) depending on the object’s coordinate frame. A more compact, bounded, hierarchy-free representation is the 3D articulation flow (3DAF) that each point on the object would experience were its part articulated in the positive direction with respect to its articulation parameters. In other words, for each point on each link on the object, define a vector in the direction of motion of that point caused by an infinitesimal displacement \( \delta\theta \) of the joint, and normalize it by the largest such displacement on the link. Thus, the 3D articulation flow \( f_p \) for point \( p \in P \) in link \( i \) is:

\[
f_p = \begin{cases} v, & \text{if } i \text{ is a prismatic joint} \\ \frac{\omega \times r}{||\omega \times r||}, & \text{if } i \text{ is a revolute joint} \end{cases}
\] (3)

where \( v, \omega, \) and \( r \) are defined above; note that \( v \) is already a unit vector. We denote the full set of flow vectors for an object as \( F = \{ f_p \}_{p \in P} \) where \( P = \bigcup_i P_i \).

While this representation is mathematically equivalent to both the hierarchical and point-wise parameter-based representations, 3D articulation flow has several key advantages over parameter-based representations:

1) It is hierarchy-free, meaning that it can be easily approximated without an explicit model (i.e. kinematic structure); this property will allow our learned method to generalize to novel object categories.

2) Each element in the representation is a scaled orientation vector constrained to lie inside the unit sphere in \( \mathbb{R}^3 \). This means that the representation is invariant under translation and scaling in the coordinate frame of the underlying object.

Since this representation is defined for any arbitrary point in or on an object, it could be applied to any discrete or continuous geometric representation of said object. However, for the purposes of this work, we apply this representation to 3D point clouds produced from depth images. Thus for a point cloud \( P = \{ p_k \}_{k \in [n]} \), we associate each point \( p_k \) in \( P \) with a flow vector \( f_k \in \mathbb{R}^3 \), s.t. \( ||f_k|| \leq 1 \).

This formulation of 3D articulation flow is similar in spirit to the intermediate representation proposed by Zeng et al.\(^2\) in their articulation estimation system, FormNot. However, our representation differs in two key ways. First, our representation describes the instantaneous motion of a link, whereas the FormNet formulation predicts the current absolute displacement of a part from a reference position (i.e. a fully-closed door). Second, we demonstrate that our formulation can be used directly by a manipulation policy, whereas the downstream task of FormNet’s representation was predicting the articulation parameters of an object.

**C. Predicting 3D Articulation Flow from Vision**

We now turn to the question of estimating 3D Articulation Flow from a robot’s sensor observations. We consider a single articulated object in isolation; let \( s_0 \in S \) be the starting configuration of the scene with a single articulated object where \( S \) is the configuration space. We assume that the robot has a depth camera and records point cloud observations
$O_t \in \mathbb{R}^{3 \times N}$, where $N$ is the total number of observable points from the sensor. The task is for the robot to articulate a specified part through its entire range of motion.

For each configuration $s_t$ of the object, there exists a unique ground-truth flow $F_t$, where the ground-truth flow of each point is given by Equation 3. Thus, we would like to find a function $f_\theta(O_t)$ that predicts the 3D articulation flow directly from point cloud observations. We define the objective of minimizing the L2 error of the predicted flow:

$$\mathcal{L}_{\text{MSE}} = \sum_i ||F_{t,i} - f_\theta(O_{t,i})||_2$$  (4)

where $i$ indexes over the objects in the training dataset. While $f_\theta$ can be any estimator, we choose to use a neural network, which can be trained via a standard supervised learning with this loss function.

D. A General Policy using 3D Articulation Flow

**Algorithm 1** The FlowBot3D articulation manipulation policy

Require: $\theta \leftarrow$ parameters of a trained flow prediction network

$(O_0) \leftarrow$ Initial observation
$F_0 \leftarrow f_\theta(O_0, [M_0])$, Predict the initial flow
$g_0 = \text{SelectContact}(O_0, F_0)$, Select a contact pose.

$\text{in}_\text{contact} \leftarrow \text{False}$

while not $\text{in}_\text{contact}$ do

   Drive an end effector towards $g_0$
   if DetectContact() then
      $\text{in}_\text{contact} \leftarrow \text{True}$
      Grasp($g_0$)
   end

done $\leftarrow \text{False}$

while not done do

   $(O_t) \leftarrow$ Observation
   $F_t \leftarrow f_\theta(O_t, [M_t])$, Predict the current flow
   $v_t \leftarrow \text{SelectDirection}()$
   Apply a force to the end-effector in the direction of $v$ for small duration $t$

done $\leftarrow \text{EpisodeComplete}()$

Our method first takes an observation $O_0$ and estimates the 3D articulation flow $F_0 = f_\theta(O_0)$ for all points in the observation. Given the estimate of the 3D articulation flow $F_0$, we now describe a general, closed-loop policy which takes flow as input and actuates an articulated object. The policy is executed in two phases:

1) **Grasp Selection:** Based on the estimated 3D articulation flow $F_0$, the policy must decide the best place to grasp the object. In this work, we assume access to a suction-type gripper that (in the ideal case) can grasp any point on the object surface. We know that the ideal attachment point is the location on a part where the flow has the highest magnitude in order to achieve the most efficient actuation of the articulated part by maximizing its acceleration, as we showed by maximizing Equations 1 and 2. We use motion planning to move the end effector to this point, with the end-effector aligned directly to oppose the flow direction. We then grasp the object at this position (using a suction gripper), shown in the left hand side of Fig. 3. We assume a rigid contact between the gripper and this contact point going forward.

2) **Articulation Execution:** At each time step $t$, we record a new observation $O_t$ and estimate the current flow $F_t$. We then select the predicted flow direction $v_t$ with the greatest magnitude from the visible points from the observation, as shown in the right hand side of Fig. 3. To handle objects with multiple articulated parts, we only consider flow vectors close to our point of contact (the contact point itself is likely occluded by the gripper and is thus not visible). While continuing to grasp the object, we then move the gripper in the direction $v_t$. This process repeats in a closed loop fashion until the object has been fully-articulated, a max number of steps has been exceeded, or the episode is otherwise terminated. See Algorithm 1 for a full description of the generalized flow articulation algorithm.

E. FlowBot3D: A Robot Articulation System

With all the pieces of our generalized articulation policy in place, we now describe a real-world robot system – FlowBot3D – which leverages this generalized articulation policy. We define a tabletop workspace that includes a Sawyer BLACK 7-DoF robotic arm mounted to the tabletop with a pneumatic suction gripper as its end-effector, and an Azure Kinect RGB-D camera mounted at a fixed position and pointing at the workspace. See Figure 4 for an image of the workspace. We obtain point cloud observations of the scene from the Azure Kinect in the robot’s base frame, filtering out non-object points, we use the method proposed in [33] to denoise the data (see supplementary materials for details). For robot control, we use a sampling-based planner, MoveIt! [7], which can move our robot to any non-colliding pose in the scene; we thus use motion planning to move the gripper to a pre-grasp pose. For the grasp and articulation, we directly control the end-effector velocity.

To select the point of contact for the suction gripper, we need to make some modifications from the idealized system described earlier. Unfortunately, a real suction gripper cannot make a proper seal on locations with high curvature (i.e. edges of the object and uneven surface features such as handles). Since the flow vector with the maximum magnitude is often at one of these extreme points, we must choose an alternative grasp point. While contact selection for suction-based grasping is a well-studied problem [2] [16] [17], we find that a simple heuristic performs acceptably; we choose the point with the highest flow magnitude subject to the following constraints:

1) The point itself is not within a certain distance of an edge, where edges are computed using a standard edge-detection algorithm (see supplement for details).

2) The estimated Gaussian curvature of that point does not exceed a certain threshold (see supplement for details).

3) The point is not within a distance of $d$ of any points violating conditions 1 and 2. In practice, we set $d = 2\text{ cm}$ (the radius of the suction tip).
Fig. 3: FlowBot3D System Overview. Our system in deployment has two phases: the Grasp-Selection phase and the Articulation-Execution Phase. The dark red dots represent the predicted location of each point, and the light red lines represent the flow vectors connecting from the current time step’s points to the predicted points. Note that the flow vectors are downsampled for visual clarity. In Grasp-Selection Phase, the agent observes the environment in the format of point cloud data. The point cloud data will then be post-processed and fed into the ArtFlowNet, which predicts per-point 3D flow vectors. The system then chooses the point that has the maximum flow vector magnitude and deploys motion planning to make contact with the chosen point using suction. In Articulation-Execution phase, after making suction contact with the chosen argmax point, the system iteratively observes the pointcloud data and predicts the 3D flow vectors. In this phase, the motion planning module would guide the robot to follow the maximum observable flow vector’s direction and articulate the object of interest repeatedly.

Using this grasp selection method, we are able to execute our general articulation manipulation policy on a real robot. See the supplementary materials for other implementation details.

F. Training Details

We design a flow prediction network – which we refer to as ArtFlowNet – using the dense prediction configuration of PointNet++ [23] as a backbone, and train it using standard supervised learning with the Adam optimizer. We train the network using a dataset of synthetically-generated (observation, ground-truth flow) pairs based on the ground-truth kinematic and geometric structure provided by the PartNet-Mobility dataset [28]. During each step of training, we select an object in the dataset, randomize the state \( S \) of the object, and compute a new supervised pair \((O_S, F_S)\), which we use to compute the loss and update the model parameters. During training, each object is seen in 100 different randomized configurations. Details of our dataset construction and model architecture can be found in the supplementary materials.

IV. RESULTS

We conduct a wide range of simulated and real-world experiments to evaluate the FlowBot3D system.

A. Simulation Results

To evaluate our method in simulation, we implement a suction gripper in the ManiSkill environment [20], which serves as a simulation interface for interacting with the PartNet-Mobility dataset [28]. The PartNet-Mobility dataset contains 46 categories of articulated objects; following UMPNet [29], we consider a subset of PartNet-Mobility containing 21 classes, split into 11 training categories (499 training objects, 128 testing objects) and 10 entirely unseen object categories (238 unseen objects). Several objects in the original dataset contain invalid meshes, which we exclude from evaluation. We modify ManiSkill simulation environment to accommodate these object categories. We train our models (ArtFlowNet and baselines) exclusively on the training instances of the training object categories, and evaluate by rolling out the corresponding policies for every object in the ManiSkill environment. Each object starts in the “closed” state (one end of its range of motion), and the goal is to actuate the joint to its “open” state (the other end of its range of motion). For experiments in simulation, we include in the observation \( O_t \) a binary part mask indicating which points belong to the child joint of interest. Results are shown in Tables I and II.

**Metrics.** During our experiments, we calculate two metrics:

- **Normalized distance:** Following Xu et al. [29], we compute the normalized distance travelled by a specific child link through its range of motion. The metric is computed based on the final configuration after a policy rollout \((j_{end})\) and the initial configuration \((j_{init})\):

  \[
  \mathcal{E}_\text{goal} = \frac{\|j_{end} - j_{goal}\|}{\|j_{goal} - j_{init}\|}
  \]

  \(^3\)Categories from left to right: stapler, trash can, storage furniture, window, toilet, laptop, kettle, switch, fridge, folding chair, microwave, bucket, safe, phone, pot, box, table, dishwasher, oven, washing machine, and door. Clipart pictures are borrowed from UMPNet paper with the authors’ permission.
### TABLE I: Normalized Distance Metric Results (\(\delta\)): Normalized distances to the target articulation joint angle after a full rollout across different methods. The lower the better.

<table>
<thead>
<tr>
<th>Baselines</th>
<th>AVG.</th>
<th>Test Categories</th>
<th>AVG.</th>
</tr>
</thead>
<tbody>
<tr>
<td>UMP-DI</td>
<td>0.29</td>
<td>0.32 0.33 0.16 0.18 0.37 0.14 0.19 0.28 0.72 0.00 0.55</td>
<td>0.36</td>
</tr>
<tr>
<td>Normal Direction</td>
<td>0.40</td>
<td>0.52 0.67 0.16 0.19 0.51 0.60 0.13 0.11 0.55 0.61 0.32</td>
<td>0.39</td>
</tr>
<tr>
<td>Screw Parameters</td>
<td>0.40</td>
<td>0.42 0.40 0.42 0.18 0.57 0.45 0.27 0.59 0.51 0.58 0.06</td>
<td>0.18</td>
</tr>
<tr>
<td>BC</td>
<td>0.74</td>
<td>0.59 0.91 0.63 0.75 0.57 1.00 1.00 0.98 0.62 0.96 0.10</td>
<td>0.87</td>
</tr>
<tr>
<td>DAgger E2E</td>
<td>0.64</td>
<td>0.39 0.85 0.61 0.73 0.50 1.00 0.96 0.90 0.54 0.48 0.10</td>
<td>0.83</td>
</tr>
<tr>
<td>DAgger Oracle</td>
<td>0.51</td>
<td>0.54 0.55 0.20 0.41 0.96 0.64 0.14 0.64 0.47 0.85 0.16</td>
<td>0.56</td>
</tr>
<tr>
<td><strong>Novel Instances in Train Categories</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Baselines w/ Flow</td>
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<td></td>
<td></td>
</tr>
<tr>
<td>BC + F</td>
<td>0.83</td>
<td>0.59 1.00 0.61 0.91 1.00 0.97 1.00 0.69 1.00 0.39</td>
<td>0.91</td>
</tr>
<tr>
<td>DAgger E2E + F</td>
<td>0.76</td>
<td>0.59 0.86 0.60 0.76 0.95 1.00 0.86 0.77 0.65 1.00 0.36</td>
<td>0.91</td>
</tr>
<tr>
<td>DAgger Oracle + F</td>
<td>0.50</td>
<td>0.59 0.53 0.25 0.51 0.58 0.86 0.17 0.65 0.56 0.48 0.38</td>
<td>0.60</td>
</tr>
<tr>
<td><strong>Ours</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>FlowBot3D</td>
<td>0.12</td>
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<td>0.15</td>
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<tr>
<td>FlowBot3D w/o Mask</td>
<td>0.17</td>
<td>0.32 0.37 0.10 0.11 0.15 0.00 0.11 0.33 0.05 0.07 0.29</td>
<td>0.19</td>
</tr>
<tr>
<td>FlowBot3D w/o Mask + VPA</td>
<td>0.16</td>
<td>0.33 0.09 0.07 0.07 0.16 0.00 0.14 0.49 0.27 0.11 0.00</td>
<td>0.16</td>
</tr>
<tr>
<td>Oracle w/ GT 3DAF</td>
<td>0.05</td>
<td>0.10 0.10 0.03 0.11 0.06 0.00 0.12 0.00 0.00 0.02 0.00</td>
<td>0.16</td>
</tr>
</tbody>
</table>

### TABLE II: Success Rate Metric Results (\(\%\)): Fraction of success trials (normalized distance less than 0.1) of different objects’ categories after a full rollout across different methods. The higher the better.

- **Success**: We also define a binary success metric, which is computed by thresholding the final resulting normalized distance at \(\delta\): \(\text{Success} = \mathbb{1}(\mathcal{E}_{\text{goal}} \leq \delta)\). We set \(\delta = 0.1\), meaning that we define a success as articulating a part for more than 90%.

**Baseline Comparisons**: We compare our proposed method with several baseline methods:

- **UMP-DI**: We implement a variant of UMPNet’s Direction Inference network (DistNet) \(^{[20]}\), where instead of bootstrapping an action scoring function from interaction, we learn the scoring function by regressing the cosine distance between a query vector and the ideal flow vector for a contact point. At test time, we select the contact point based on ground-truth 3DAF, and after contact

\(^{4}\)We could not yet compare directly to UMPNet, as their model and simulation environment had not yet been released at the time of submission and publication.

- **Normal Direction**: We use off-the-shelf normal estimation to estimate the surface normals of the point cloud using Open3D \(^{[14]}\). To break symmetry, we align the normal direction vectors to the camera. At execution time, we first choose the ground-truth maximum-flow point and then follow the direction of the estimated normal vector of the surface.

- **Screw Parameters**: We predict the screw parameters for the selected joint of the articulated object. We then generate 3DAF from these predicted parameters and use the FlowBot3D policy on top of the generated flow.

- **Behavioral Cloning (BC)**: The agent takes as input a point cloud and outputs the action of the robot. The agent uses the PointNet-Transformer architecture proposed in \(^{[20]}\). The agent is trained end-to-end via L2 regression has been achieved we use CEM to optimize the scoring function to predict the action direction at every timestep.

- **Screw Parameters**: We predict the screw parameters for the selected joint of the articulated object. We then generate 3DAF from these predicted parameters and use the FlowBot3D policy on top of the generated flow.

- **Behavioral Cloning (BC)**: The agent takes as input a point cloud and outputs the action of the robot. The agent uses the PointNet-Transformer architecture proposed in \(^{[20]}\). The agent is trained end-to-end via L2 regression has been achieved we use CEM to optimize the scoring function to predict the action direction at every timestep.
on trajectories provided by an oracle version of GT 3DAF.
- **BC + F**: Same as BC, but with ground-truth flow at input.
- **DAgger E2E**: We also conduct behavioral cloning experiments with DAgger [24] on the same expert dataset as in the BC baseline. We train it end-to-end (E2E), similar to the BC model above.
- **DAgger E2E + F**: Same as DAgger E2E, but with ground-truth flow as an input.
- **DAgger Oracle**: A two-step policy, where we first use ground-truth flow to select a contact point using the Generalized Articulation Policy heuristic, and train DAgger on expert trajectories generated after the point of contact.
- **DAgger Oracle + F**: Same as DAgger Oracle, but with ground-truth flow at input.
- **Oracle w/ GT 3DAF**: An oracle version of FlowBot3D that uses ground truth 3DAF vectors instead of the predicted ones for both phases. This serves as an upper bound of FlowBot 3D’s performance

For a more straightforward comparison, we dedicate Table I and II to evaluations in the SAPIEN simulator and we defer the comparison between UMPNet and FlowBot3D to the supplementary material.

**Analysis**: We can draw two conclusions from our simulated evaluation. First, our formulation of FlowBot3D has a very high success rate across all categories, including test categories, which are completely novel types of objects (but may contain similar parts and articulation structures). This is evidence that the ArtFlowNet network is learning salient geometric features to predict the location and character of articulated points. Based on visual interpretation of actual predicted flows, ArtFlowNet is particularly adept at recognizing doors, lids, drawers, and other large articulated features. One might have thought that 3DAF is essentially estimating normal directions, but this is not the case, as seen in the results of the Normal Direction baseline. Normal Direction estimation suffers from occlusion issues and the normal is not always the correct direction to actuate the object (for example, for the spherical-shaped lid of a teapot). Additionally, our method's accuracy increases when the object is at least partially open, because there is less ambiguity about object structure than when an object is fully “closed”. The UMP-DI baseline exhibits similar properties, but the implicit optimization yields noisier direction predictions. Second, none of the Behavior Cloning and DAgger policies, nor their flow-based variants, perform well. The best BC baseline, DAgger Oracle + F, is only able to fully articulate objects 33% of the time.

**UMPNet Pybullet Environment**: The simulation environment used in the original UMPNet evaluations [29] is a PyBullet-based environment with different physical and collision parameters. However, the source code to run the UMPNet environment was not available for us to run until after this paper was submitted for review; we have since obtained a copy of this environment, and evaluate our method on their environment in the supplementary materials.

**B. Real-World Experiments**

To evaluate the performance of FlowBot3D when executed in a real robotic environment, we design a set of real-world experiments in which we attempt to articulate a variety of different household objects using the Sawyer robot in our workspace, as shown in Fig. 4. Our experiment protocol is thus: for each object in the dataset, we conducted 5 trials of each method. For each trial, the object is placed in the scene at a random position such that the articulations are visible and the robot can reach every position in the range of motion of each articulation. The policy is then executed for at most 10 steps, terminating earlier if success has been achieved or if the policy predicts an action that cannot be executed safely (this...
Fig. 6: Real world examples of FlowBot3D executing an articulation policy based on predicting 3D Articulated Flow. Notice that even with occlusions, such as in the intermediate mini-fridge observation, the network is able to predict reasonable 3D articulation flow vectors for downstream policy.

We also include several jars with lids, which, while not strictly articulated as 1-DoF joints, can be articulated like a prismatic joint. See Figure 5 and Table III for a summary of the dataset, and the supplementary materials for specifics for each object.

Metrics: During our trials, we compute the following metrics for each policy:

- **Overall Success**: Was the object articulated more than 90% of its range of motion (defined per-object)?
- **Contact Success**: Was the contact point chosen on a joint that can move, and was the suction tip able to successfully form a seal at that point?
- **Average Distance**: Conditioned on a successful contact, what was the average distance from the end of the object’s range of motion after the policy terminated?
- **Motion Success**: After successful contact, was the object articulated more than 90% of its range of motion?

Details about how our trials are conducted and measurements computed can be found in the supplementary materials.
Quantitative analysis: We present summary metrics in Table [IV] and a per-object summary in our supplementary materials. Across all metrics, FlowBot3D performs substantially better than the DAgger baseline. In absolute terms, the policy succeeds a high fraction of the time (64%); the policy selects a suitable contact point on the object 91% of the time, and succeeded 70% of the time after contact was established.

In contrast, the baseline policy succeeded in a very small number of cases, only 14% of the time. While contact rates were comparable to the trials conducted for FlowBot3D (they use the same contact selection method), the motions predicted were almost always unsuccessful.

Qualitative analysis of FlowBot3D: A major goal of our real-world trials was to evaluate how well the Flowbot3D policy transfers from simulation to reality without any retraining. We find that the overall policy performs surprisingly well, and the ArtFlowNet module – trained exclusively on point clouds rendered in simulation – generalizes impressively to real-world objects, producing high-fidelity flow predictions on a range of real objects. This is because there isn’t much of a domain shift in the point cloud observations, and the geometric features that signal an articulation are fairly consistent.

Failure modes: We have found that the majority of trial failures were due to two reasons in real world: flow prediction error and contact failure. For flow prediction errors, after making contact with the object, executing an incorrect 3D articulation flow vector will drive the gripper away from the object, causing the gripper to lose contact with the object. The bulk of flow prediction errors happen either because the robot occludes too much of the scene (which might be rectified by multiple viewpoints, temporal filtering, or a recurrent policy), or because the robot fails to detect the presence of articulations (this occurs on the real oven, for instance). For contact failures, the contact selection heuristic might not filter out all ungraspable points and thus the robot might choose a contact point that is difficult or impossible to make a complete seal on during suction. Overall, we theorize that many of the failures could be mitigated by improving the compliance and seal on during suction. Overall, we theorize that many of the contact point that is difficult or impossible to make a complete contact failures, the contact selection heuristic might not filter articulations (this occurs on the real oven, for instance). For policy), or because the robot fails to detect the presence of articulations (see Tables [I] and [II], but improves performance in sim-to-real transfer.

V. Conclusion

In this work, we propose a novel visual representation for articulated objects, namely 3D Articulation Flow, as well as a policy – FlowBot3D – which leverages this representation to successfully manipulate articulated objects. We demonstrate the effectiveness of our method in both simulated and real environments, and observe strong sim-to-real transfer generalization.

While our method shows strong performance on a range of object classes, there is substantial room for improvement. One class of improvements is in system-building and engineering: with a more compliant robotic arm controller, as well as a more sophisticated contact prediction system, we believe we would be able to eliminate a wide class of failure modes. However, the remaining failure modes raise questions we would like to explore in future work. For instance, we would like to explore how our flow representation models might be used in an online adaptation setting, so that incorrect predictions can be corrected. We also would like to explore how our representation might be useful when learning from demonstrations, or in other more complex manipulation settings.

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